# When less is (sometimes) more.

Evaluating the effect of trial number in classical experimental psychology paradigms

Filippo Gambarota

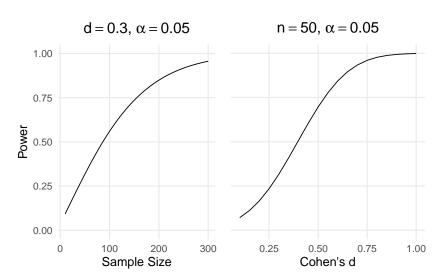
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# The usual power analysis workflow

Nowadays, (fortunately), sample size justification using e.g. the power analysis is mandatory or highly suggested in several journals.



## Test statistics

With some assumptions, the test statistic is usually:

$$t = \frac{b}{\mathsf{SE}_b}$$

Where b is the effect size (e.g., difference between two conditions) and  ${\sf SE}_b$  is the standard error of the numerator.

# Increasing participants

In simple settings,  $SE_b$  is:

$$SE_b = \sqrt{\frac{\sigma_b^2}{n}}$$

Thus our job is reducing  $SE_b$ , mainly increasing the number of participants.

# Not only participants

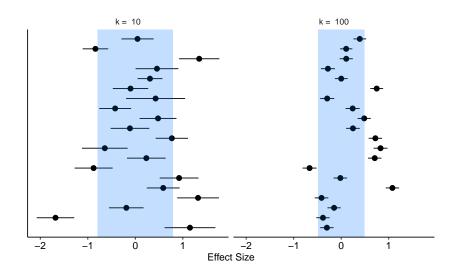
Often, the power can be affected also increasing trials (k), not only participants  $(n)^1$ 

$$\mathsf{SE}_b^\star = \sqrt{rac{\sigma_s^2}{n} + rac{\sigma_w^2}{kn}}$$

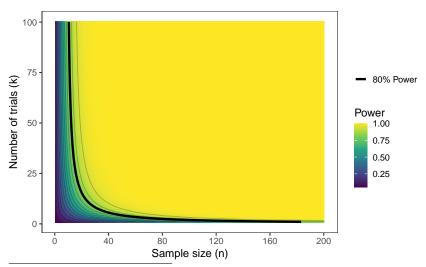
Where  $\sigma_s^2$  is the variance between participants and  $\sigma_w^2$  is the variance within participants. When  $\sigma_w^2$  is close to zero, there is no advantage in adding trials.

<sup>1</sup>Miller, J. (2024). How many participants? How many trials? Maximizing the power of reaction time studies. *Behavior Research Methods*, *56*, 2398–2421. https://doi.org/10.3758/s13428-023-02155-9

# Same participants, more trials



## Power <del>curves</del> contours<sup>2</sup>



<sup>2</sup>Baker, D. H. ... Andrews, T. J. (2021). Power contours: Optimising sample size and precision in experimental psychology and human neuroscience. *Psychological Methods*, 26, 295–314. https://doi.org/10.1037/met0000337

# Are all trials the same?

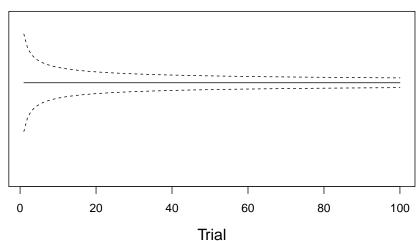
# The main problem...

When doing simulations taking into account the trials k we are (usually) assuming that each trial is the same, regardless of:

- ▶ fatigue
- ▶ learning effects
- attention
- **.**..

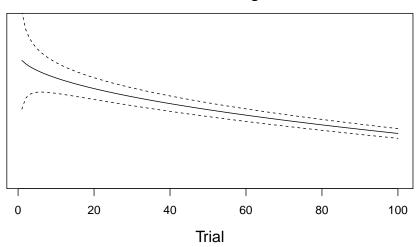
# The usual assumption





## What about this?





Application to real data

# Classic experiments

We collected 214 university students performing  $\sim$  330 trials on three classical experimental paradigms:

- ► Simon Effect
- ► Snarc Effect
- ► Task Switching

In all paradigms there is a comparison between congruent and incongruent trials where incongruent trials are expected to elict slower reaction times.

## The mixed-effects model

In R-like notation the model is:

```
rt ~ congruence + (congruence|participant)
```

#### Random effects:

```
Groups Name Variance Std.Dev. Corr
id (Intercept) 2687.8 51.84
congruencei 111.6 10.57 -0.02
Residual 9144.5 95.63
Number of obs: 65601, groups: id, 207
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#### Fixed effects:

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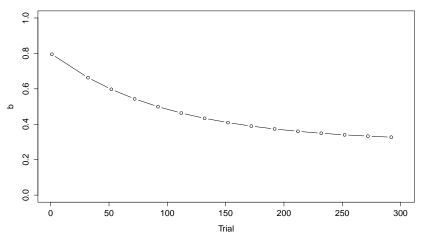
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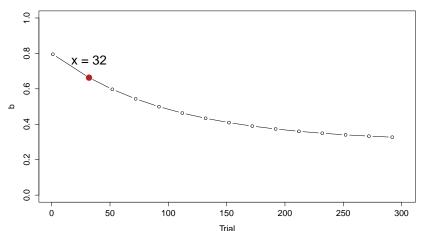
We fitted the previous model starting with 32 trials and then adding  $\boldsymbol{k}$  trials.

#### **Cumulative Linear Mixed-Effects Model**

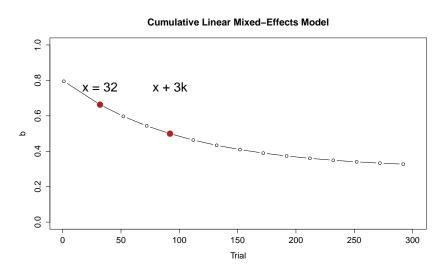


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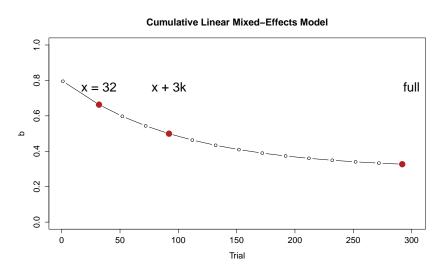




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## Results

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$$t = \frac{b}{\mathsf{SE}_b}$$

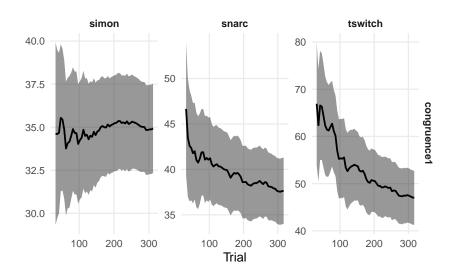
# Results, b

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# Results, b

Only the Simon effect is stable, the other effects decrease over time.



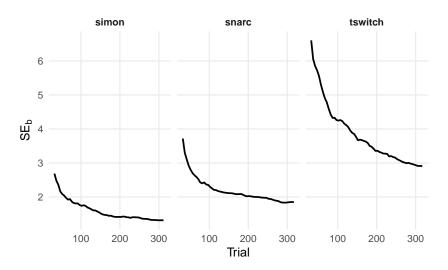
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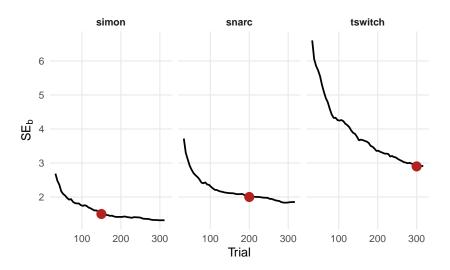
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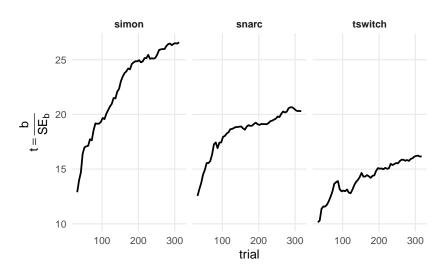
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# Results, t

The Simon effect is the only one that seems to benefit, whereas the others reach a plateau by the midpoint of the experiment.



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- ▶ the crucial point is considering how the effect evolves over time, improving our power analysis and experimental planning
- ▶ interactions or more complex effects could require a large number of trials

## References

- Miller, J. (2024). How many participants? How many trials? Maximizing the power of reaction time studies. Behavior Research Methods. 56. 2398–2421. https://doi.org/10.3758/s13428-023-02155-9
- Baker, D. H., Vilidaite, G., Lygo, F. A., Smith, A. K., Flack, T. R., Gouws, A. D., & Andrews, T. J. (2021). Power contours: Optimising sample size and precision in experimental psychology and human neuroscience. Psychological Methods, 26, 295-314.

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**Slides** 

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